$A = K \times [(\text{Cost Index}) \times [[(\text{APMLE 1 Index}) + (\text{APMLE 2 Index}) + (\text{Residency Placement Index}) + (\text{Graduation Index})] / 4]]$

Cost Index = (Average Yearly Cost) / (School Yearly Cost)

APMLE 1 Index = (APMLE 1 First Time School Pass Rate) / (APMLE 1 First Time Average Pass Rate)

APMLE 2 Index = (APMLE 2 First Time School Pass Rate) / (APMLE 2 First Time Average Pass Rate)

Residency Placement Index = (School Residency Placement Rate) / (Average Residency Placement Rate)

Graduation Index = (School 4-Year Graduation Rate) / (Average 4-Year Graduation Rate)

K = Constant of Proportionality = 0.983

$A_{Kent} = K \times [(1.24) \times [[(0.97) + (1.01) + (1.00) + (0.96)] / 4]] = K \times [(1.24) \times [0.99]] = K \times [1.22] = 1.20$

$A_{DMU} = K \times [(1.02) \times [[(1.10) + (1.05) + (1.04) + (1.08)] / 4]] = K \times [(1.02) \times [1.07]] = K \times [1.09] = 1.07$

$A_{Temple} = K \times [(1.08) \times [[(0.97) + (0.94) + (0.99) + (1.07)] / 4]] = K \times [(1.08) \times [0.99]] = K \times [1.07] = 1.05$

$A_{NYCPM} = K \times [(1.04) \times [[(1.05) + (1.08) + (1.03) + (0.92)] / 4]] = K \times [(1.04) \times [1.02]] = K \times [1.06] = 1.04$

$A_{Barry} = K \times [(1.17) \times [[(0.96) + (0.79) + (0.86) + (1.00)] / 4]] = K \times [(1.17) \times [0.90]] = K \times [1.06] = 1.04$

$A_{CSPM} = K \times [(0.98) \times [[(0.92) + (1.00) + (1.01) + (1.07)] / 4]] = K \times [(0.98) \times [1.00]] = K \times [0.98] = 0.96$

$A_{Scholl} = K \times [(0.94) \times [[(1.00) + (1.01) + (1.01) + (1.04)] / 4]] = K \times [(0.94) \times [1.02]] = K \times [0.95] = 0.93$

$A_{AZPod} = K \times [(0.76) \times [[(1.15) + (1.08) + (1.03) + (1.04)] / 4]] = K \times [(0.76) \times [1.08]] = K \times [0.87] = 0.86$

$A_{Western} = K \times [(0.94) \times [[(0.88) + (1.04) + (1.03) + (0.82)] / 4]] = K \times [(0.94) \times [0.94]] = K \times [0.86] = 0.86$